

Using divide and conquer

9/18/24

Using Divide and Conquer: Maximum profit

- Maximize profit from one purchase and sale of stock given an array of prices over time:

9	6	8	7	12	10
1	2	3	4	5	6

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 - A. Yes
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- D&C algorithm:
 - Split array into halves
 - Determine max profit, max price, and min price for each half
 - Combine these to compute own return values

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- What recurrence describes the running time of our algorithm?
 - A. $T(n) = 2T(n/2) + 1$
 - B. $T(n) = 2T(n/2) + \log n$
 - C. $T(n) = 2T(n/2) + n$
 - D. $T(n) = 2T(n/2) + n^2$
 - E. None of the above

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In the book: Transform problem to finding maximum subarray

- Maximize profit from one purchase and sale of stock given an array of prices over time:

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- Find the contiguous subarray with largest sum

-3	2	-1	5	-2
2	3	4	5	6

Next problem: Multiplying large integers

$$\begin{array}{r} 782934728937492347982378942 \\ \times \quad 3789234783974983274832792 \\ \hline \end{array}$$

What is the running time of the grade-school algorithm (n-digit integers)?

- A. $O(1)$
- B. $O(n)$
- C. $O(n \log n)$
- D. $O(n^2)$
- E. None of the above

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